Supporting Information

Synthesis of β -(Hetero)aryl Ketones *via* Ligand-Enabled Nondirected C−H Alkylation

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8. Computational Methods:

Density functional theory (DFT) calculations were performed with *Gaussian 16* rev. B.01.¹ Geometry optimizations were initially performed using the global-hybrid meta-NGA (nonseparable gradient approximation) MN15 functional² with the def2-SVP^{3,4} Karlsruhefamily basis set and the optimized structures further refined with a mix of larger basis set consisting of triple-ζ valence def2-TZVPPD (where 'D' indicates diffuse basis functions) for $Pd^{5,6}$ and $Ag^{5,6}$ atom and def2-SVP^{3,4} for all other atoms (BS1). Minima and transition structures on the potential energy surface (PES) were confirmed using harmonic frequency analysis at the same level of theory, showing respectively zero and one imaginary frequency.

Single point (SP) corrections were performed using MN15 functional and def2- $QZVP³$ basis set for all atoms. The SMD implicit continuum solvation model⁷ was used to account for the effect of hexafluoroisopropanol (HFIP) solvent on the computed Gibbs energy profile. Since HIFP solvent is not available in the list of default/pre-defined solvents in the *Gaussian 16* software, it is herein parametrised using a set of *seven* parameters.7 These include 1) the static dielectric constant of the solvent at $25^{\circ}C$ (*Eps* = 16.7);^{8–10} 2) dynamic (optical) dielectric constant – the square of the refractive index value of 1.275 at 20^oC was used¹¹ (*EpsInf = 1.625625*); 3) hydrogen bond acidity (*HBondAcidity* = $(0.77)^{12}$ and 4) hydrogen bond basicity (*HBondBasicity* = $(0.10)^{12}$, which are Abraham's *A* and *B* values respectively; 5) the surface tension of the solvent at interface (*SurfaceTensionAtInterface = 23.23*) ¹³ – this value is obtained from the conversion of the surface tension of HFIP at 16.14 mN/m at $25^{\circ}C^{14}$ to cal mol⁻¹ Å⁻² used in the SMD model by the conversion factor of 1 dyne/cm = $1 \text{ mN/m} = 1.43932 \text{ cal mol}^{-1}$ \mathring{A}^{-2} as outlined in the Truhlar's Minnesota Solvent Descriptor Database¹⁵; 6) carbon aromaticity – the fraction of aromatic carbons (*CarbonAromaticity = 0.00*) and 7) electronegative halogenicity – the fraction of halogens (*Electronegative Halogenicity = 0.60*). These parameters were specified using the keyword "SCRF = (SMD, Solvent= Generic, Read)" in *Gaussian 16*.

Gibbs energies were evaluated at the reaction temperature of 353.15 K (80ºC), using a quasi-RRHO treatment of vibrational entropies.16,17 Vibrational entropies of frequencies below 100 cm-1 were obtained according to a free rotor description, using a smooth damping function to interpolate between the two limiting descriptions. The free energies were further corrected using standard concentration of 1 mol/L, which were used in solvation calculations. Unless otherwise stated, the final SMD (HFIP)-MN15/def2-QZVP//MN15/BS1 Gibbs energies are used for discussion throughout. *All Gibbs energy values in the text and figures are quoted in kcal mol-1 .* All molecular structures and molecular orbitals were visualized using *PyMOL* software 18

9. Model reaction:

In this study, we select the model reaction depicted in Scheme S1 for in-depth mechanistic investigations using DFT modeling.

Scheme S1. Model reaction used for DFT based mechanistic studies.

10. Possible conformers of C–H activation transition states (TSs) via concerted metalation deprotonation (CMD)

We have explored various possible conformations for the crucial C–H activation step transition state **TS1**, with **a-TS1** corresponding to C_2 -H activation and **b-TS1** representing the C_3 -H activation, Figures S2 and S3, respectively. Our computational results show that **a-TS1** is the most stable conformer, with a stability difference of 0.8–1.9 kcal mol⁻¹ compared to its other conformers (**a-TS1ʹ**, **a-TS1ʹʹ**, and **a-TS1ʹʹʹ**) (Figure S2), and it exhibits higher stability by 0.9‒2.1 kcal mol−1 than the competing transition state **b-TS1** and its conformers (**b-TS1ʹ**, **b-TS1ʹʹ**, and **b-TS1ʹʹʹ**) (Figure S3).

Figure S2. DFT optimized possible conformers of C_2 –H activation transition states. The Gibbs activation free energy values (in kcal mol⁻¹) are given relative to the most stable TS, **a-TS1**.

Figure S3. DFT optimized possible conformers of C₃–H activation transition states. The Gibbs activation free energy values (in kcal mol⁻¹) are given relative to the most stable TS, **b-TS1**.

11.C-H activation with different ligand binding mode

We explored an alternative configuration of the C–H activation step where the ligand binds via the other N atom, different from that in **a-TS1**. In this configuration, referred to as **a-TS1a**, 2 methoxy quinoxaline ligand coordinates to the Pd center via the nitrogen atom at the α-position to the methyl substituent, Figure S4. Our DFT calculations suggest that the C_2 -H activation via

a-TS1a is less favorable than **a-TS1** by 1.5 kcal mol⁻¹, indicating that this alternative pathway is less kinetically preferred.

Figure S4. DFT optimized geometries of the C₂–H activation transition states with different ligand binding modes. The Gibbs reaction and activation free energies are (given in kcal mol⁻¹) relative to the starting catalyst catalyst Pd(OAc)₂.

12. Role of Ag2CO3 in the 1,2-migratory insertion step

Alternatively, from **a-INT3**, we have explored 1,2-migratory insertion assisted by silver carbonate (Ag₂CO₃), Figure S5. In the presence of Ag₂CO₃, our results suggest that the overall estimated barrier, **a-TS2_Ag** (13.5 kcal mol−1 above **INT1**), is lower by only 0.5 kcal mol−1 to that of **a-TS2**, (14.0 kcal mol⁻¹ above **INT1**), where Ag₂CO₃ is absent, Figure 1 of the main text and Figure S5. These findings are supported by the minor changes (< 5 pm) observed in the calculated crucial distances of Pd–C and C–C bond distances, implying that Ag_2CO_3 may not have significant role in influencing the studied 1,2-migratory insertion step.

Figure S5. DFT optimized transition state structures for the 1,2-migratory insertion step, without Ag₂CO₃, **a-TS2**, and in the presence of Ag₂CO₃, **a-TS2** Ag. The Gibbs free energy barrier values (in kcal mol-1) are given relative to the stable intermediate **INT1**.

13. *β***–H and** *β***ʹ–H transfer TS structures:** *cis* **vs.** *trans conformers*

From **a-INT4**, we have explored the transfer of both H atoms from *β* and *βʹ* positions to the metal Pd center, resulting in *cis* and *trans* conformations for the corresponding TS structures, **a-TS3** and **a-TS3ʹ**, Figures S6. From **a-INT4**, the calculated TS barriers for *β*–H transfer reaction reveal that the *cis* conformer, **a-TS3_***cis*, is more favorable by 1.2 kcal mol−1 compared to the *trans* conformer, **a-TS3_***trans*, Figure S6. On the other hand, for *βʹ*–H transfer reaction, the computed TS barrier for the *trans* conformer, **a-TS3ʹ_***trans*, is lower in energy by 1.8 kcal mol−1 compared *to cis* conformer, **a-TS3ʹ_***cis*. Overall, the calculated TS barriers suggest that *β*–H transfer via **a-TS3_***cis* has the lowest activation barrier, which is lower in energy by 0.6 kcal mol−1 compared to *βʹ*–H transfer via **a-TS3ʹ_***trans*, and is therefore predicted to be kinetically most favorable.

Figure S6. DFT optimized *cis* and *trans* conformers of the transition state structures for the *β*–H (**a-TS3**) and $β'$ –H (**a-TS3'**) transfer step. The Gibbs activation free energy values (in kcal mol⁻¹) are given relative to the most stable TS, **a-TS3**_*cis* for the β -H transfer step.

14. Product release from intermediate a-INT5_*cis*

In this section, we explore various possibilities for releasing the alkylated product from intermediate **a-INT5_***cis*, Scheme S2.

Firstly, the release of the alkyl product from **a-INT5_***cis* with the substation of one molecule of benzothiophene (Scheme S2a) leads to **INT10**, which is uphill by 8.8 kcal mol⁻¹, rendering it an unfavorable process. Alternatively, using a 2-methyl quinoxaline ligand to displace the product from **a-INT5_***cis* (Scheme S2b) results in the formation of **INT11**, which is slightly downhill by -1.3 kcal mol⁻¹. Furthermore, using Ag_2CO_3 salt to displace the product (Scheme S2c), leads to the formation of a more thermodynamically stable Pd–Ag species **INT8**, which is downhill by 6.8 kcal mol⁻¹, Finally, when $CuF₂.2H₂O$ is used to displace the product (Scheme S2d), it forms the most thermodynamically stable Pd–F–Cu species **INT6**, which is downhill by 9.6 kcal mol⁻¹, making it the most favorable process.

Scheme S2. Thermodynamics for the release of alkyl product from **a-INT5_***cis*. Note that the free energy of the Ag₂CO₃ monomer is considered as half of its dimer's computed free energy.

15. Formation of Pd(0) species: CuF2.2H2O vs Ag2CO3

When using CuF2.2H2O, the formation of Pd(0) species **INT7** from **INT6** via a reductive elimination step is exergonic, lying 4.9 kcal mol−1 below **INT6**, Scheme S3. In contrast, with Ag2CO3, the formation of Pd(0) species **INT9** is endergonic, lying 1.0 kcal mol−1 above **INT8**, suggesting that $CuF₂.2H₂O$ forms a more stable Pd(0) species compared to Ag₂CO₃.

Scheme S3. Formation of Pd(0) species assisted by a) CuF₂.2H₂O, and b) Ag₂CO₃. Note that the free energy of the Ag₂CO₃ monomer is considered as half of its dimer's computed free energy.

16. Pathway for the formation of minor olefin product

In this section, we explore an alternative pathway from **a-INT5_***cis*, leading to the formation of a minor olefin product, Scheme S1 and Figure S7. In detail, from **a-INT5_***cis*, the transfer β–H to the Pd center leads to intermediate **a-INT6**, proceeding through **a-TS4** with an activation free energy barrier of 26.7 kcal mol−1 (or a significant overall energy barrier of 39.4 kcal mol−1 above **a-INT4**), Figure S7. This reaction is endergonic with **a-INT6** lying at 13.5 kcal mol−1 above **a-INT5_***cis*, Figure S7. Subsequently, the removal of H2 molecule from **a-INT6** is exergonic by 15.9 kcal mol−1, leading to the formation of Pd-allyl intermediate **a-INT7**, Figure S7. Next, the transfer of a hydride from the OH group in **a-INT7** to the Pd metal center results in the formation of intermediate **a-INT8**, where the olefin product is coordinated to the Pd metal center, Figure S7. This step proceeds through transition state **a-TS5** and requires overcoming a significant free energy barrier of 40.1 kcal mol−1 above the stable intermediate **a-INT4**. Finally, removal of the product from **a-INT8**, assisted by CuF₂.2H₂O, forms **INT6'**, and the subsequent reductive elimination leading to **INT7ʹ**, followed by a redox reaction regenerates the starting Pd(II) catalyst.

Figure S7. Gibbs free energy profile for the pathway leading to minor olefin product starting from most stable intermediate **a-INT5_***cis*. The free energies computed at SMD(HFIP)-MN15/def2-QZVP//MN15/(def2-TZVPPD for Pd, $Ag + def2-SVP$ for all other atoms). All values are given in kcal mol⁻¹ with respect to starting catalyst $Pd(OAc)_2$, and all other substrates. TDI = Turnover-frequency Determining Intermediate, TDTS = Turnoverfrequency Determining Transition State.

From Figure S7, it is evident that **a-TS5** exhibits the highest barrier among all the steps in the catalytic cycle, making it the TDTS, while **a-INT4** represents the TDI, being the most stable intermediate in the studied catalytic cycle. The catalytic cycle exhibits an overall energetic span (*δE*) of 40.1 kcal mol−1, which is significantly higher than the calculated *δE* of 23.6 kcal mol⁻¹ for the alkylated product cycle, thus providing a possible explanation for the observed olefin product as a minor product, Figure 1 of the main text and Figure S7.

17. DFT optimized crucial transition state structures (TSs)

Figure S8. DFT optimized crucial transition state structures for the studied steric-controlled alkylation mechanism catalyzed by Pd(OAc)2, using benzothiophene as a substrate.

18. Optimized structures and absolute energies,

Geometries of all optimized structures (in *.xyz* format with their associated energy in Hartrees) are included in a separate folder named *DFT_optimized_structures* . All these data have been deposited and uploaded to zenodo.org under <https://zenodo.org/records/13736351> (DOI: 10.5281/zenodo.13736351).

Absolute values (in Hartrees) for SCF energy, zero-point vibrational energy (ZPE), enthalpy and quasi-harmonic Gibbs free energy (at 80° C/353.15 K) for optimized structures are given below. Single point corrections in SMD hexafluoroisopropanol (HFIP) using MN15/def2- QZVP level of theory are also included.

18. References for Computational Section:

Full reference Gaussian 16:

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